

AdS/CFT and Heavy Ion Collisions at RHIC and LHC

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(New) Adventures in QCD

QCD has presented us many fascinating dynamical phenomena:

Confinement,
chiral symmetry breaking,
asymptotic freedom,
internal structure of nucleons

.....

largely guided by **experiments**, great challenges for theorists.

Recently, **heavy ion collision experiments** opened new frontiers into probing dynamical phenomena in QCD:

many body physics,
collective phenomena,
finite temperature,

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Quark-Gluon Plasma

At room temperature, quarks and gluons are always confined inside **colorless** objects (**hadrons**):

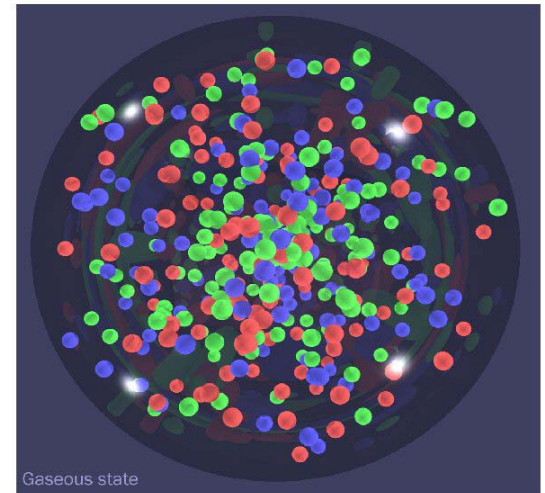
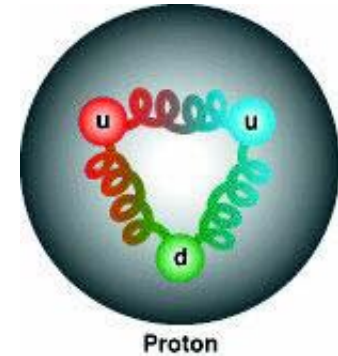
protons, neutrons, pions,

Very high temperature (e.g. 1 TeV):

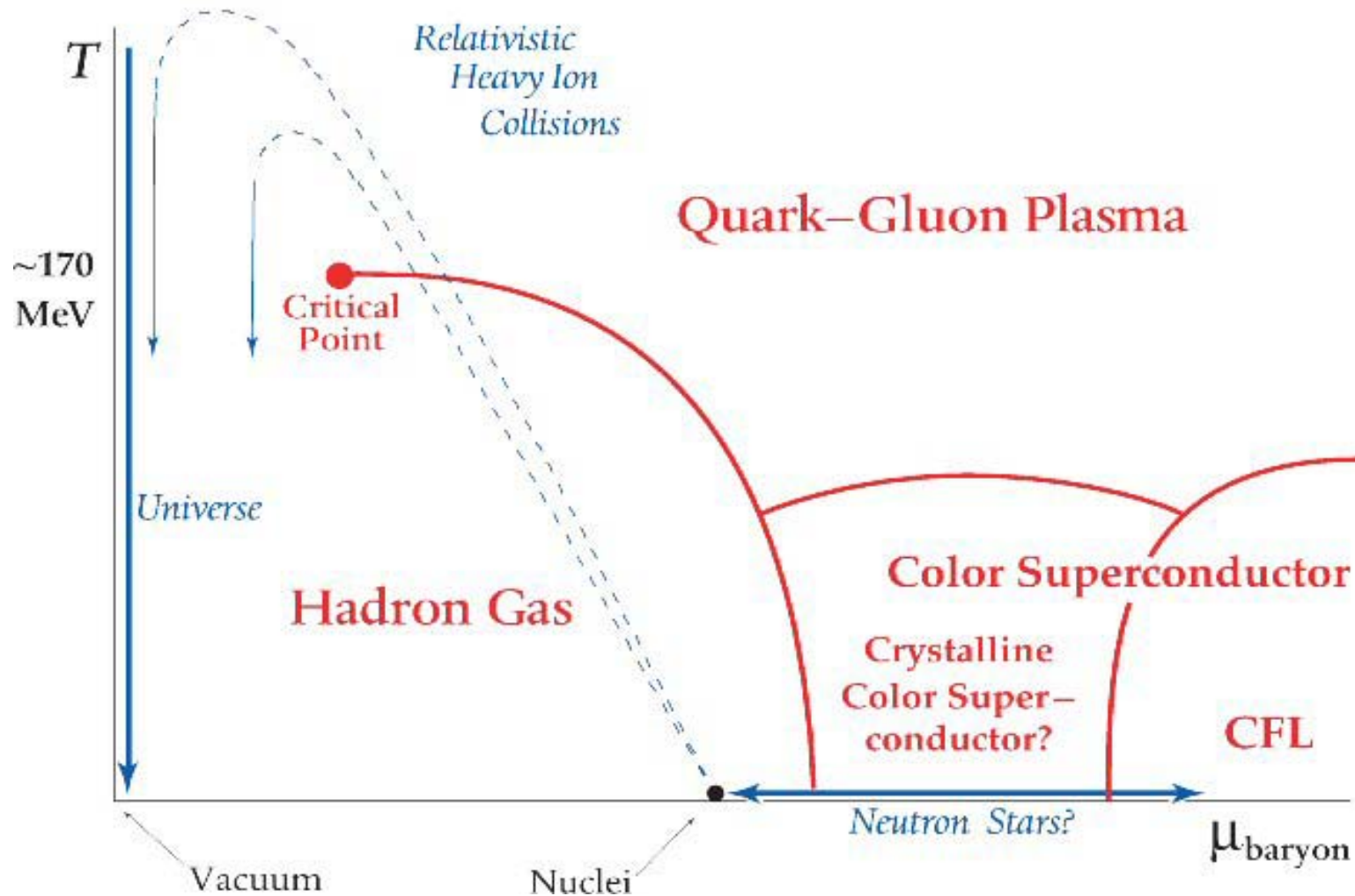
- Interactions become weak
- quarks and gluons deconfined
- **Quark-gluon plasma (QGP)**

Infinitely high temperature:

QGP behaves like an **ideal gas**.

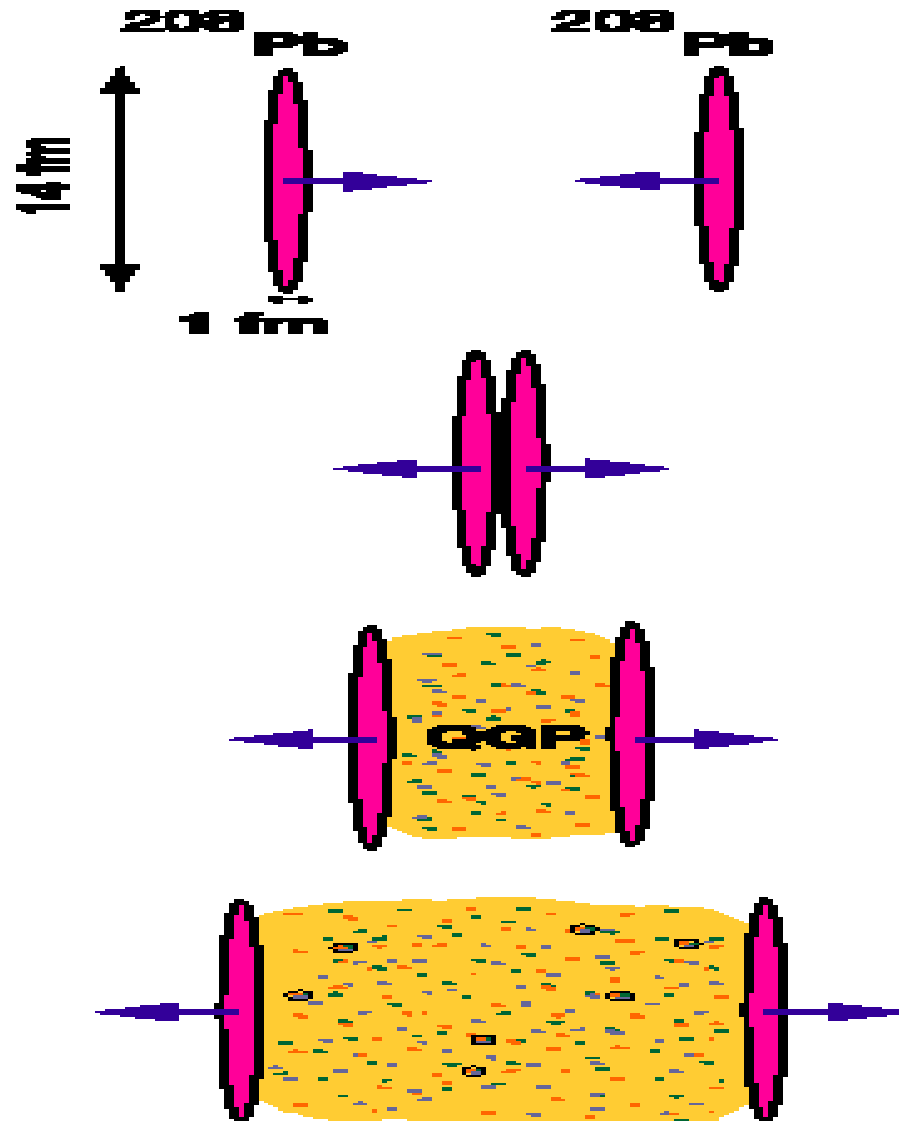


EXPLORING the PHASES of QCD



Small baryon density : Smooth crossover at $T_c \sim 170$ MeV

Relativistic Heavy ion collisions



Au+Au 200 GeV



Relativistic heavy ion collisions

RHIC (2000): Au+Au $\sqrt{s_{NN}} = 200 \text{ GeV}$

$\sqrt{s_{NN}}$: center of mass energy per pair of nucleons

Au: 197 nucleons; Total: 39.4 TeV

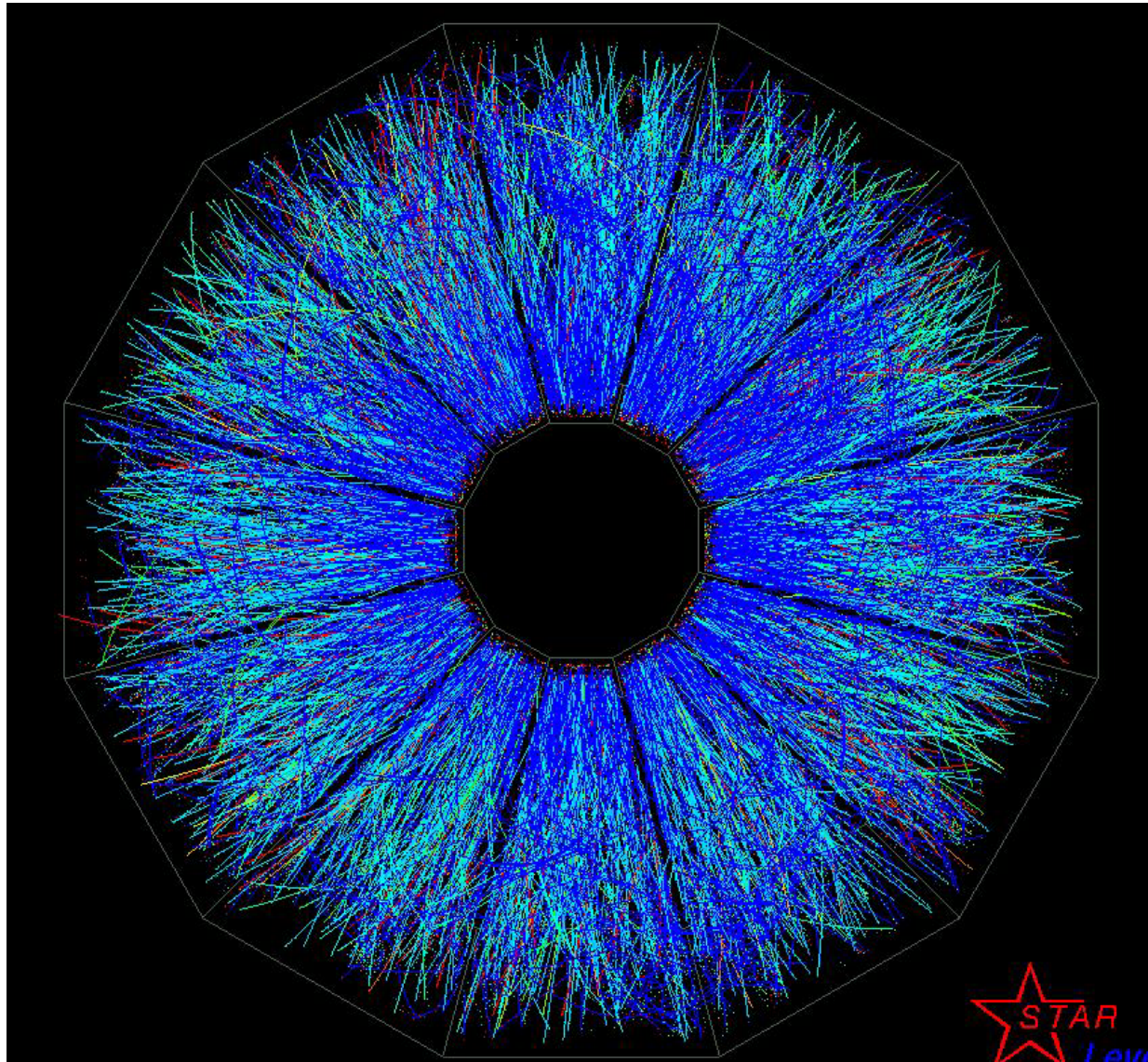
Temperature (1 fm after collision) $\sim 250 \text{ MeV}$

Baryon chemical potential $\sim 27 \text{ MeV}$

Deconfinement crossover in QCD: $T_c \sim 170 \text{ MeV}$

LHC: Pb + Pb (2009) $\sqrt{s_{NN}} = 5,500 \text{ GeV}$

Enormous experimental challenges !





Observables of RHIC QGP

Probes of the QGP:

- Thermodynamic properties
- Collective flow
- Jet quenching (parton energy loss)
- Quarkonium suppression

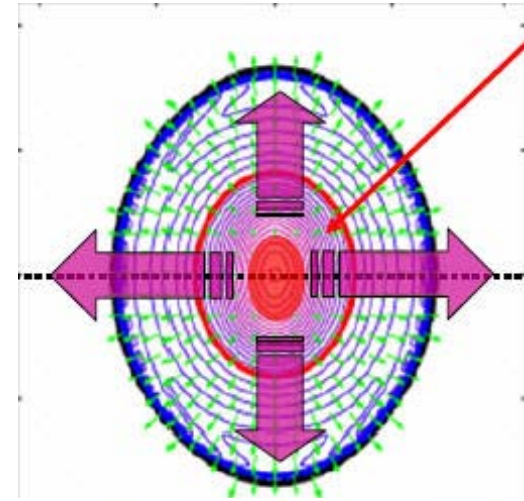
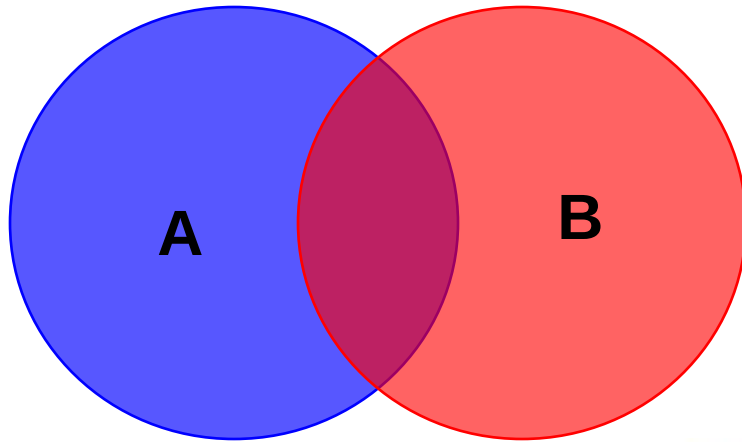
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RHIC QGP:

behaves very differently from a **weakly coupled QGP gas**

(Perturbation theory: **inadequate**)

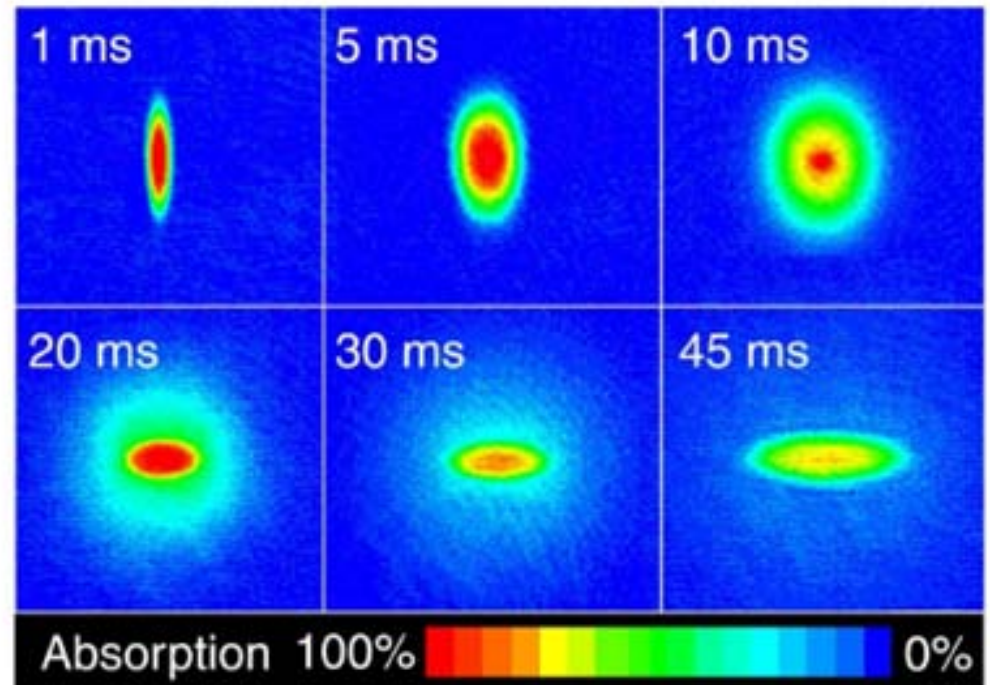
Collective Flow



Na_{23}

Bose condensate

Ketterle group, MIT



Collective flow and shear viscosity

Match hydrodynamics simulation with data

RHIC QGP: $\frac{\text{shear viscosity}}{\text{entropy density}} \equiv \frac{\eta}{s} < O(0.1)$

$$\frac{\eta}{s} \sim O(1) \quad (\text{perturbative QCD})$$

Water $\frac{\eta}{s} \sim 10$

RHIC QGP:

strongly coupled, **liquid-like** (nearly ideal)

exciting opportunities, but difficult challenges



String theory to the rescue!

AdS/CFT techniques have potential to make important impacts !

1. Search string (gravity) duals for QCD
2. Use strongly coupled $\mathcal{N}=4$ SYM plasma or its relatives as benchmarks for understanding the QCD QGP.

Can $\mathcal{N}=4$ SYM plasma serve as an “Ising model” for QCD QGP?

finite temperature helps!

$\mathcal{N}=4$ SYM v.s. QCD

$\mathcal{N}=4$ SYM at finite T

- conformal
- no asymptotic freedom, no confinement
- supersymmetric (**badly broken**)
- no chiral condensate
- no dynamical quarks, 6 scalars and 4 fermions in the adjoint representation.

QCD at $T \sim T_c - 3 T_c$

- near conformal (**lattice**)
- not intrinsic properties of sQGP
- not present
- not present
- may be taken care of by **proper normalization**

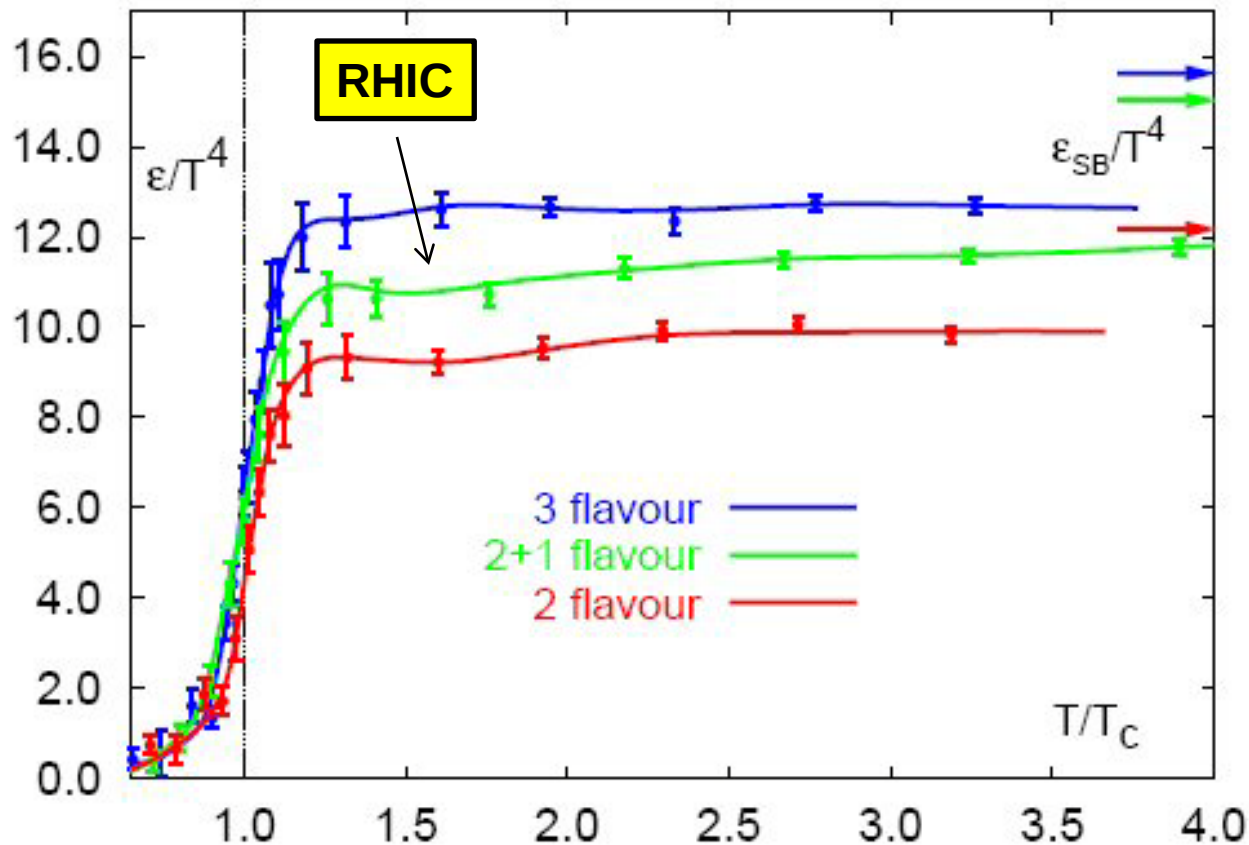
Purpose of the talk

Describe various **dynamical insights** obtained from **AdS/CFT** into some most **important observables** of heavy ion collisions

- Thermodynamic properties
- Shear viscosity
- Jet quenching (parton energy loss)
- Quarkonium suppression
(a prediction from string theory)

Thermodynamics

QCD:



Karsch
hep-lat/0106019

Weak dependence on T of ϵ/T^4 in the range $T_C \sim 4 T_C$
approximately **scale invariant**

$$\frac{\epsilon(\text{a few } T_C)}{\epsilon(\infty)} \approx 0.8$$

(In)famous 3/4

$\mathcal{N}=4$ SYM:

Gubser, Klebanov, Peet

$$\frac{\mathcal{E}_{\lambda=\infty}}{\mathcal{E}_{\lambda=0}} = \frac{S_{\lambda=\infty}}{S_{\lambda=0}} = \frac{P_{\lambda=\infty}}{P_{\lambda=0}} = \frac{3}{4}$$

Thermodynamics of very weakly and very strongly coupled plasmas can be **similar**.

Infinite families of gauge theories (with different gauge groups and matter contents) share similar properties:

Nishioka,
Takayanagi

$$\frac{S_{\lambda=\infty}}{S_{\lambda=0}} = \frac{3}{4} f, \quad .89 \leq f \leq 1.2$$

QCD v.s. $\mathcal{N}=4$

QCD: $\frac{\varepsilon(\text{a few } T_c)}{\varepsilon(\infty)} \approx 0.8$

$$0.8 = \frac{3}{4} \times 1.06$$

Shear viscosity

QCD: $\frac{\eta}{s} < O(0.1)$

$\mathcal{N}=4$ SYM:

$$\frac{\eta}{s} = \frac{1}{4\pi} \approx 0.08$$

Policastro, Son, and Starinets

This ratio is in fact **universal** For **all known strongly**
coupled QGPs with a gravity description:

Kovtun, Son and
Starinets

Conformal or not, supersymmetric or not,
chemical potential or not, confining at $T=0$ or not,
having fundamentals or not
with varying number of degrees of freedom

Buchel, J. Liu

Universality ?

We now know infinite classes of different QGPs:

similar thermodynamical properties

universality of shear viscosity

Is QCD at $T \sim$ a few T_c in this class?

To what observables does the universality apply ?

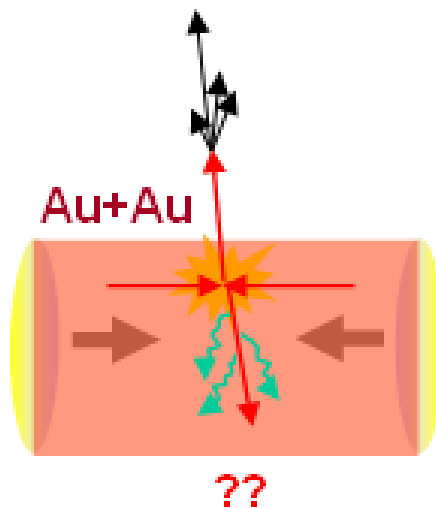
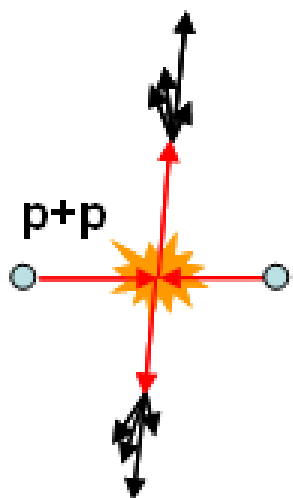
A prediction from string theory

Heavy quarkonia as probes of QGP

A hallmark of QGP is that it **screens** color objects.

The potential between the quark and anti-quark in a **quarkonium bound state** is **sensitive to the screening of the plasma**.

They dissociate at $T_d > T_C$



Heavy ion collisions: color screening in the produced medium



J/ψ suppression

Matsui and Satz (1987)

Screening in a QGP

$V(L)$: potential between a Q and $Q\text{bar}$

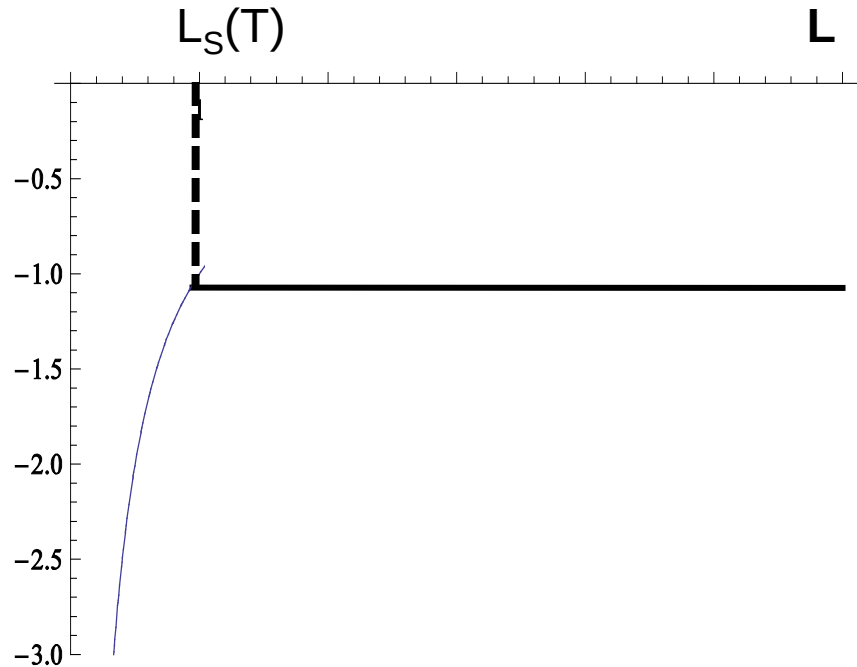
$$T = 0: \quad V(L) \sim \frac{1}{L}$$

$\mathcal{N}=4$ SYM:

$$L_S(T) = \frac{0.277}{T}$$

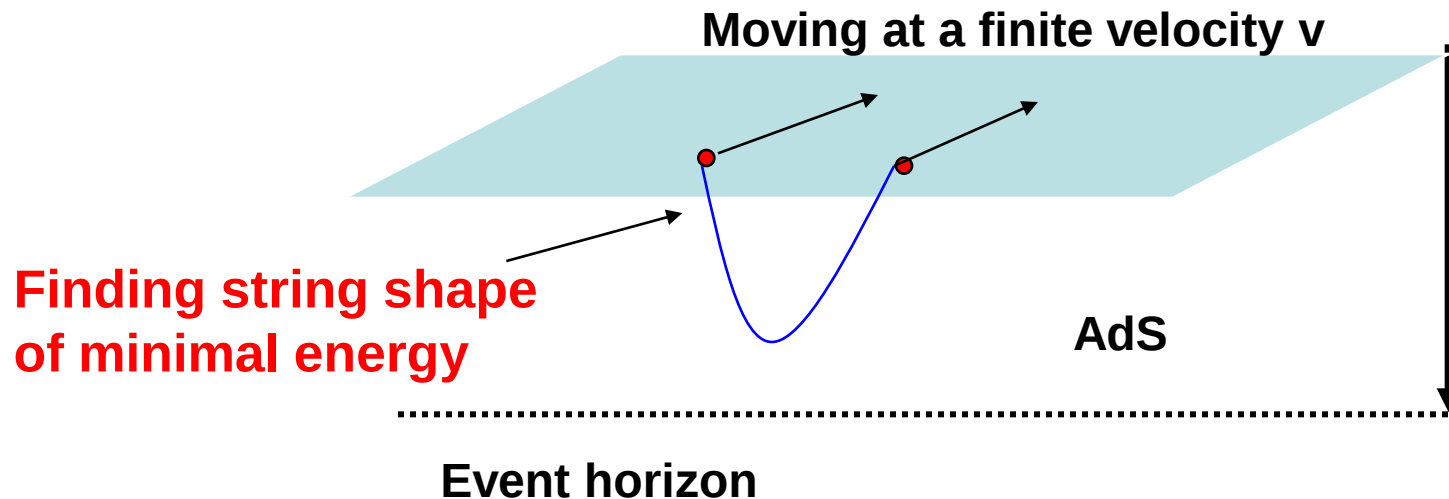
QCD above T_c

$$L_S \sim 0.5/T$$



Finite velocity scaling

Heavy ion collisions: Q and $\bar{Q}$ move relative to the plasma
screening at finite velocity ? (not known)



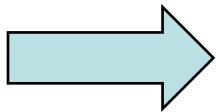
HL, Rajagopal, Wiedemann

$$L_S(v) \sim L_S(0)(1-v^2)^{1/4} \sim (1-v^2)^{1/4} \frac{1}{T}$$

Chernicoff,
Garcia, Guijosa
Peeters,
Sonnenschein,
Zamaklar

I will now assume a similar scaling applies to QCD

$$L_S(v) \sim L_S(0)(1-v^2)^{1/4} \sim (1-v^2)^{1/4} \frac{1}{T}$$



Bound states are more unstable at large Momenta.

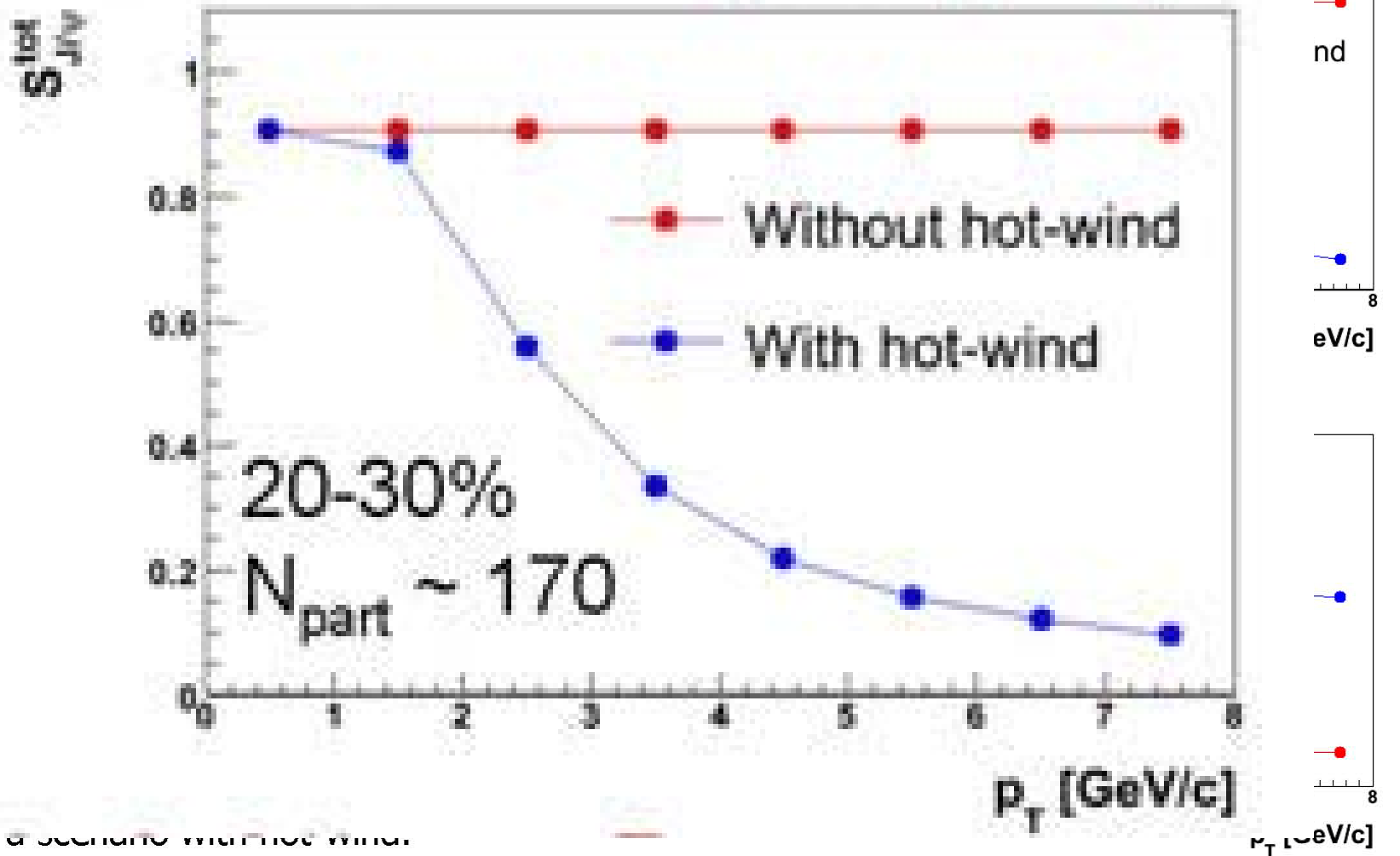
This effect could lead to significant suppression at large P_T .

This effect may be **tested**
at RHIC II or LHC

Hot-wind scenario in hydro+J/ ψ model

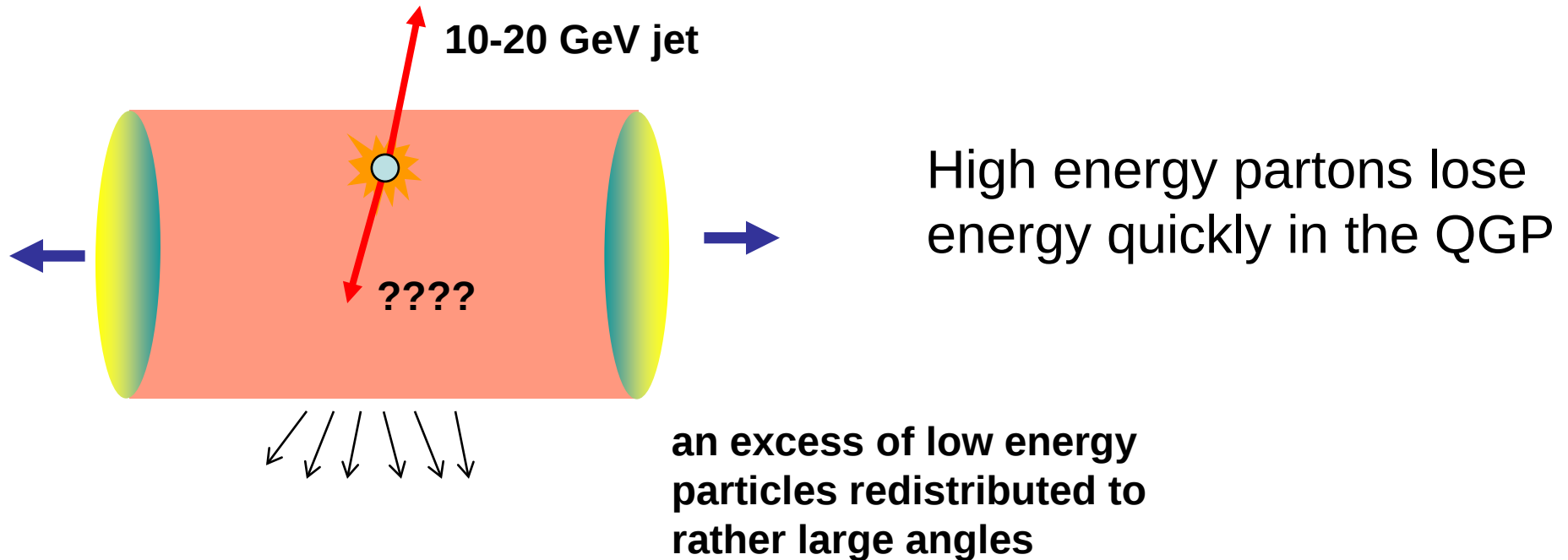
T. Gunji, H. Hamagaki, T. Hatsuda, T. Hirano, Y. Akamatsu : Phys. Rev. C 76:051901 (R), 2007
 Parallel talk at QM2008 by T. Gunji , Feb. 9th SessionXVIII 15:20~15:40

2: Survival Probability of J/ψ vs. p_T



- J/ψ in hydro
- Over
- Large region in a scenario with hot wind.

Jet Quenching

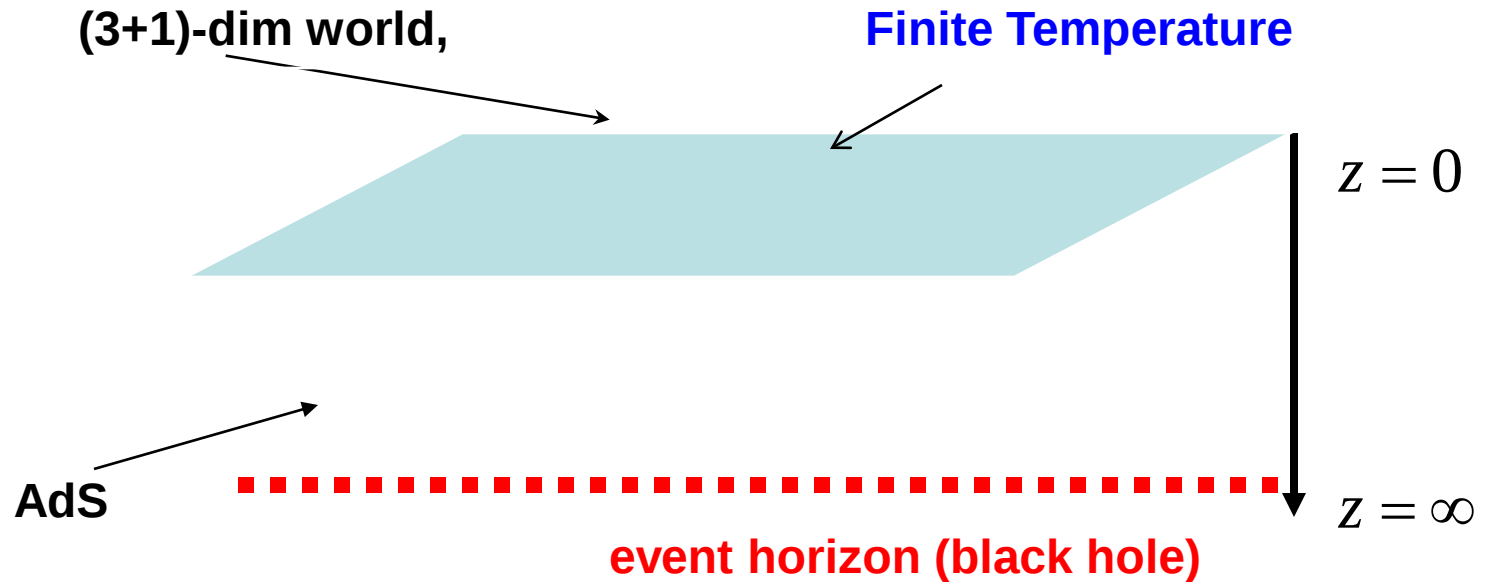


The presence of hot matter **modifies** the properties of jets.

Good probes of the QGP

Jet quenching from AdS/CFT: two approaches

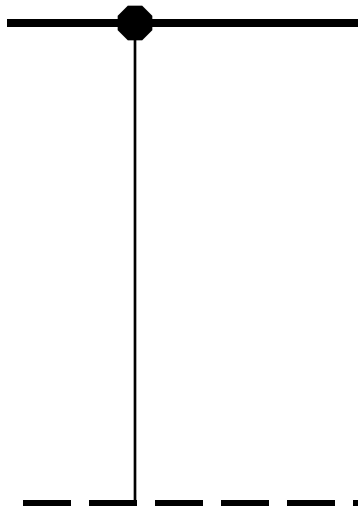
AdS/CFT



Our (3+1)-dimensional world lies at the boundary of AdS.

A moving quark in $\mathcal{N}=4$ QGP

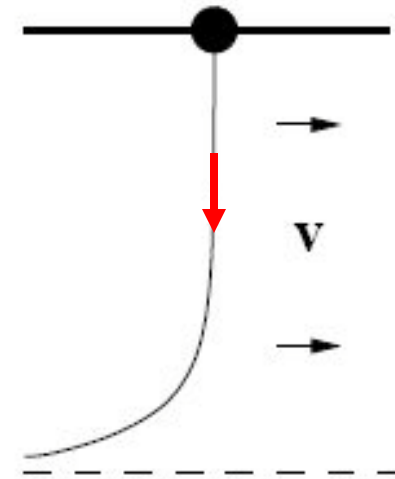
Herzog, Karch, Kovtun, Kozcaz, Yaffe; Gubser
Casalderrey-Solana, Teaney



Static quark in QGP

boundary

horizon



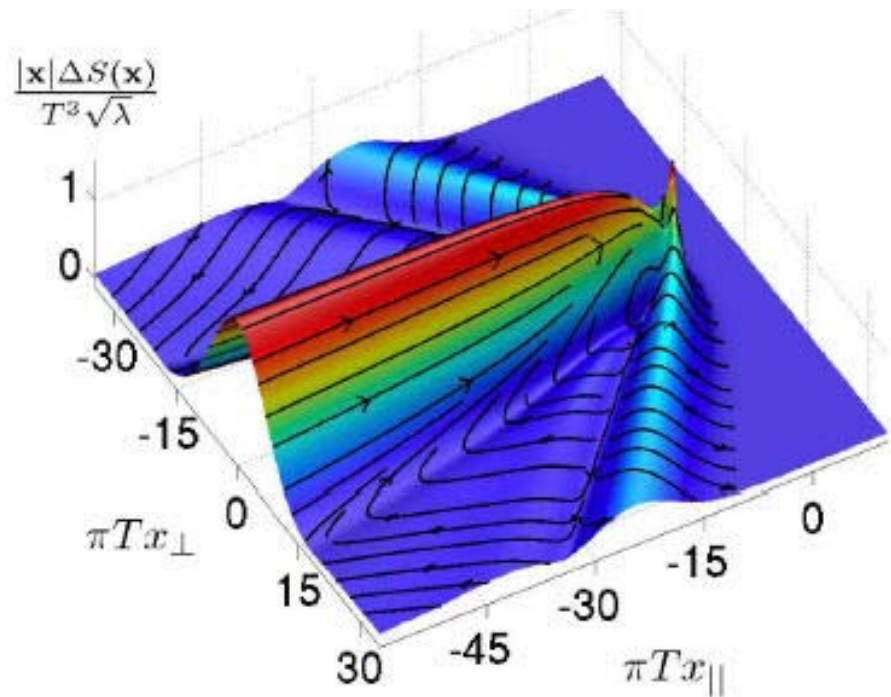
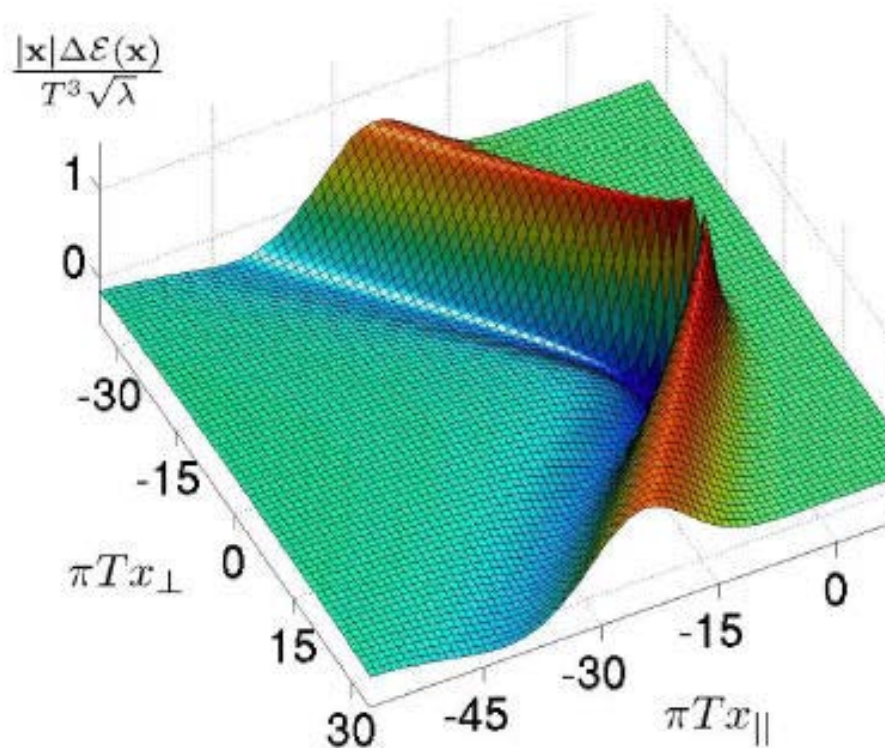
moving quark in QGP

Drag: momentum flow down the string from quark to horizon.

$$\frac{dp}{dt} = -\mu p, \quad \mu = \frac{\pi\sqrt{\lambda}}{2m} T^2 \quad (\text{independent of } p)$$

Medium responses

Medium response: $\langle T_{\mu\nu} \rangle$ (due to the presence of the moving quark)



Supersonic motion

7.62mm NATO BULLET in SUPERSONIC FLIGHT
[780m/s - 2559f/s]



*Photo courtesy of
R. Nennstiel –
BKA, Wiesbaden*

Primary Shock Wave

Regime of validity: $m \gg \sqrt{\lambda}T$

$$\gamma < \left(\frac{2m}{\sqrt{\lambda}T} \right)^2$$

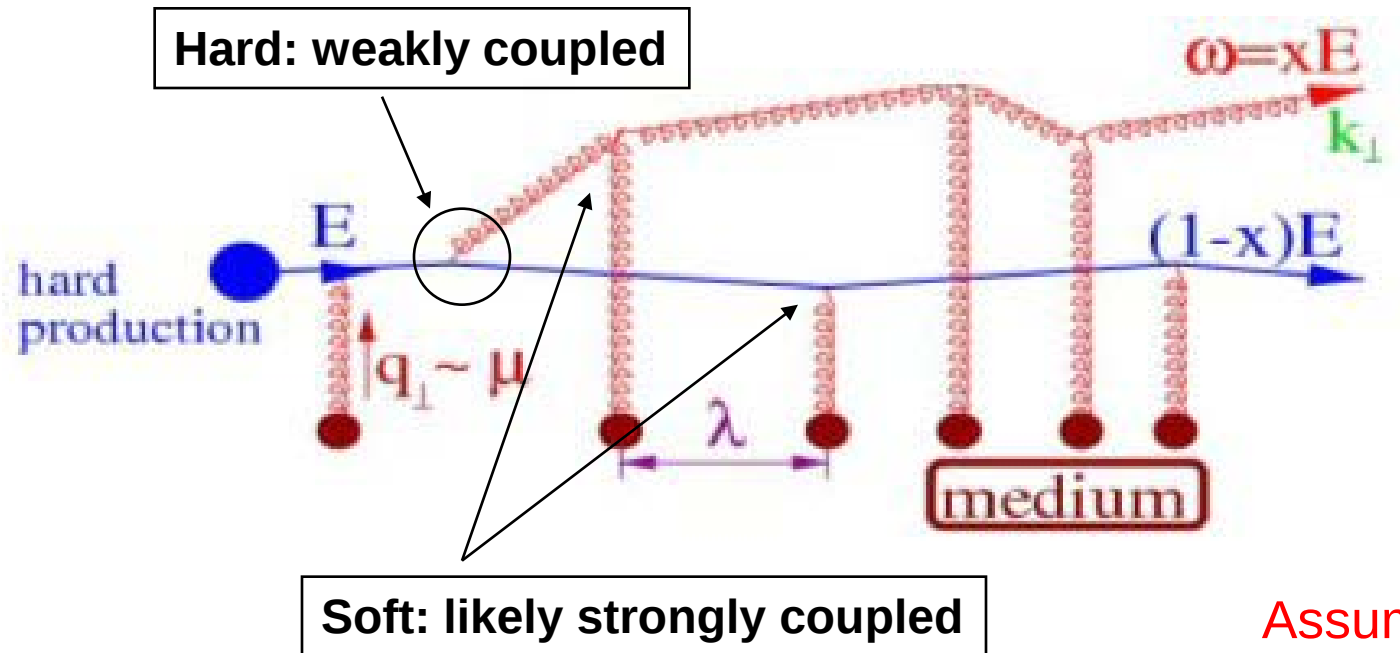
Apply to heavy quarks, strongly coupled at all scales

Jet quenching from Wilson Loop (I)

Basic idea:

- Due to **asymptotic freedom**, quark energy loss in the QGP of QCD can be **separated** into **hard** (**weakly coupled**) and **soft** (**strongly coupled**) parts.
- Use AdS/CFT to calculate the soft part.

Jet quenching from Wilson Loop (II)



Assume:
 $E \gg \omega \gg k_{\perp} \gg T$

The dominant effect of the medium on a high energy parton is medium-induced **Bremsstrahlung**.

$\hat{q}$: **multiple rescatterings** of hard partons with the medium

Jet quenching from Wilson Loop (III)

Zakharov, Wiedemann
HL, Rajagopal, Wiedemann

Soft scatterings are captured by **Light like Wilson lines**.

$\hat{q}$: can be evaluated non-perturbatively
from thermal expectation value of a
Light-like Wilson loop.

Calculate the light-like Wilson loop in AdS/CFT

From $\mathcal{N}=4$ SYM:

$$\hat{q}_{SYM} = \frac{\pi^{3/2} \Gamma(\frac{3}{4})}{\Gamma(\frac{5}{4})} \sqrt{\lambda} T^3 \approx 26.69 \sqrt{\alpha_{SYM} N_c} T^3$$

Jet Quenching parameter $\hat{q}$

Experimental estimate:

$$\hat{q} : 5\text{-}15 \text{ GeV}^2/\text{fm}$$

Perturbation theory:

$$\hat{q} : < 1 \text{ GeV}^2/\text{fm}$$

From $\mathcal{N}=4$ SYM:

HL, Rajagopal, Wiedemann

$$\hat{q}_{SYM} = \frac{\pi^{3/2} \Gamma(\frac{3}{4})}{\Gamma(\frac{5}{4})} \sqrt{\lambda} T^3 \approx 26.69 \sqrt{\alpha_{SYM} N_c} T^3$$

$\hat{q}$ is **NOT** proportional to the number of scattering centers.

$$N_C = 3, \alpha_s = \frac{1}{2}, T = 300 \text{ MeV} \quad \hat{q}_{SYM} = 4.5 \text{ GeV}^2/\text{fm}.$$

Heavy ion collisions and AdS/CFT

String theory techniques provide **qualitative**, and **semi-quantitative** insights and **predictions** regarding properties of strongly interacting quark-gluon plasma.

Many other studies

String theory has immediate testable predictions for experiments after all

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Thank You !